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## Liquid Crystals

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## On the structure and the chain conformation of side-chain liquid crystal polymers

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# On the structure and the chain conformation of side-chain liquid crystal polymers 

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#### Abstract

Backbone anisotropy and the structure of the mesophases of a series of side-chain liquid crystal polymers have been studied in the bulk by neutron scattering. The backbone conformation is obtained by small-angle neutron scattering on mixtures of hydrogenous polymers with deuteriated backbones. The components of the radius of gyration parallel, $R_{y}$ and perpendicular, $R_{\perp}$ to the magnetic field are determined as a function of temperature for both the nematic phase and the smectic phase. It is shown that the polymer backbone is deformed in both phases. When the polymer exhibits only a nematic phase, it adopts a prolate conformation, where the average backbone direction is more or less parallel to the aligned mesogenic groups. Upon transition from the smectic phase to a nematic phase, the backbone in the nematic phase assumes a slightly oblate shape. This tendency towards oblate shape is due to the smectic fluctuations which are always present in such nematic phases. The exentricity of the oblate backbone conformation in the smectic phase is always larger than in the nematic phase. This is attributed to a periodic distribution of the backbone between the mesophase layers. Then, the backbone anisotropy depends not only on the smectic structure ( $\mathrm{S}_{\mathrm{A}_{1}}, \mathrm{~S}_{\mathrm{A}_{\mathrm{d}}}$ ), but also on the temperature dependence of the density of aligned mesogenic groups in the layers. On the other hand, it is shown that the isotopic mixtures are no longer ideal when polymers deuteriated in the mesogenic moieties are mixed with the corresponding hydrogenous polymers.


## 1. Introduction

Side-chain liquid crystal polymers belong to the large family of high molecular weight materials (called liquid crystal polymers) which present polymorphism. The 'side-chain' term indicates that mesogenic pendants are attached to the linear chain, directly or via a spacer (see figure 1). This architecture resembles a flexible brush or comb, and they are sometimes also called comb-like liquid crystal polymers.
However, it is not essential to graft mesogens onto a linear polymer chain in order to obtain a side-chain liquid


Figure 1. Schematic representation of a side-chain liquid crystal polymer.
crystal polymer. Reciprocally, non-mesogenic side chain monomers can give rise to mesomorphic polymers [1].

The mesophases obtained in the case of liquid crystal polymers are thus a result of a set of interactions involving both the side-chain part and the polymer backbone itself. In this sense, liquid crystal polymers have opened up a new field of investigations. Classical techniques required for understanding the liquid crystal properties (X-ray and SAXS, NMR, optical and electron microscopy, dielectric and acoustic relaxation studies, DSC ...) are of course essential, but are no longer sufficient to investigate these new materials fully, in particular to elucidate the polymer contribution. Neutron scattering is a complementary and powerful method which characterizes both the polymer conformation and the structure of the liquid crystal phase. This method appears to be a unique tool, allowing a description of the evolution of the polymer (its size, its anisotropy obtained at small angles of scattering) in each mesophase as a function of temperature and a simultaneous determination of the mesophase structure (by diffraction at larger angles).
The primary aim of this manuscript is to present as a whole results obtained on such polymers in the bulk by neutron scattering. It will be shown how these results allow one to build a conformational and structural picture

[^0]of the organization of the polymer chain in the smectic and the nematic phases.

The first results obtained in 1985 [2] indicated that the polymer backbone is deformed in liquid crystal phases and led to the following questions: Is this the general case? How does the anisotropy evolve from the isotropic state? Does the backbone or the spacer length play an important role? Is the backbone anisotropy related to the characteristics of the mesophase?

In order to provide answers, a study of a series of side-chain polymers has been undertaken. These polymers involve an acrylate, a methacrylate or a siloxane backbone. In all cases, a calamitic aromatic mesogen is attached as the side-chain via a short polymethylene chain called a spacer.

This paper is divided into two parts ( $\$ 2$ and $\S 3$ ). The first is devoted to a description of the theoretical basis of small-angle neutron scattering (SANS). In particular, the scattering by partially deuteriated liquid crystal polymers is discussed. The experimental procedures are then described.

The second part begins with a systematic presentation of conformational results obtained with a series of liquid crystal polymers. From this presentation, we deduce the general behaviour of the polymer backbone as a function of temperature in each phase (isotropic, nematic and smectic). In the case of nematic phase, we compare the results with various theoretical predictions and propose an explanation for the two shapes (oblate and prolate) obtained in this phase. Similarly, a special section is devoted to the behaviour in the smectic phase. It is demonstrated that the polymer backbone is confined between the liquid crystal layers (oblate shape). An attempt is made to relate the degree of confinement to the stacking of the mesogenic groups in the layers. Finally, we discuss an unusual phenomenon of isotopic segregation between hydrogenous and partially deuteriated polymers (labelled at the extremities of each mesogen unit). We analyse this phenomenon and conclude that it must be limited to particular cases of labelling.

## 2. Scattering cross-section and experimental method

### 2.1. Theoretical background

### 2.1.1. Signal at small-angles and the form factor of polymers

There is one deep relation which connects polymers to neutrons: the coherent neutron scattering at small-angles from which the form factor of the polymer chain [3] can be deduced.

Small-angle neutron scattering (SANS) is due to fluctuations of concentration in the medium. An artificial way to create such fluctuations in bulk (and hence the signal at small-angles) is to mix hydrogenous polymers
with deuteriated polymers [3]. Neutrons directly interact with atomic nuclei and the resulting interaction differs between two isotopes like hydrogen and deuterium, i.e. the coherent scattering length $b$ which characterizes the interaction is $-0.374 \times 10^{-12} \mathrm{~cm}$ for the hydrogen nucleus $+0.667 \times 10^{-12} \mathrm{~cm}$ for the deuterium nucleus.

### 2.1.1.1. Expression of the form factor

The basic formula for interference between pairs $i, j$ of nuclei separated by distance $\mathbf{r}_{i j}$, associated respectively with the coherent scattering lengths $b_{i}$ and $b_{j}$, is

$$
S(\mathbf{q})=\left\langle\sum_{i, j} b_{i} b_{j} \exp \left(i \mathbf{q} \cdot \mathbf{r}_{i j}\right)\right\rangle
$$

where $\mathbf{q}$ is the scattering vector $(|\mathbf{q}|=(4 \pi / i) \sin (\theta / 2)), \theta$ the scattering angle and $\lambda$ the wavelength. In the case of $N$-hydrogenous chains made of $n$ identical repetitive units of $z$ nuclei, each unit is considered as one scatterer of scattering length:

$$
a_{\mathrm{H}}=\sum_{i}^{z} b_{i}
$$

$S(\mathbf{q})$ for a mixture of $X_{\mathrm{H}}$ hydrogenous and $X_{\mathrm{D}}$ deuteriated polymers ( $X_{\mathrm{H}}+X_{\mathrm{D}}=1$ ) can be expressed (in the small $q$-range of interest, where the size of the repetitive unit is negligible) as

$$
\begin{equation*}
S(\mathbf{q})=X_{\mathrm{H}} X_{\mathrm{D}}\left(a_{\mathrm{H}}^{2}-a_{\mathrm{D}}^{2}\right) N P(\mathbf{q}), \quad \text { see }[3(b)] \tag{1}
\end{equation*}
$$

The form factor $P(\mathbf{q})$ of one chain of $n$ repetitive units can be approximated at small-angles and expressed as a function of its projections over three axes $O_{x}, O_{y}, O_{z}: R_{x}$, $R_{y}, R_{z}$ :
$P(\mathbf{q})=n^{2}\left\langle 1-\left(q_{x}^{2} R_{x}^{2}+q_{y}^{2} R_{y}^{2}+q_{z}^{2} R_{z}^{2}\right)\right\rangle, \quad q_{i} R_{i} \leqslant 1$.
In the case of liquid crystal polymers with mesogenic groups aligned by a magnetic field, the direction of the field is also a symmetry axis for the polymer anisotropy.

In the following configuration (see figure 2 ) where the magnetic field and the scattering plane are placed perpendicular to the incident beam, we may measure the scattering intensity in the planes containing the directions parallel and perpendicular to the magnetic field. The measurements allow the determination of two components of the radius of gyration: $R_{r}=R_{\|}$and $R_{r}=R_{\perp}$.

### 2.1.2. Small-angle neutron scattering by partially labelled polymers

In most of the polymers investigated, only the backbone has been deuteriated. It is necessary to know how to interpret the scattering corresponding to a mixture of hydrogenous polymers with partially deuteriated polymers. In particular, it is of interest to check if the partially deuteriated polymer itself produces a signal like the so-called correlation hole [4].


Figure 2. Schematic representation of the SANS device PAXY (Reacteur Orphée) equipped for the study of liquid crystal polymers. The mechanical selector selects the wavelength (usually 10 to $15 \AA$ ). The incident beam crosses the sample placed in an oven and between the poles of a magnet whose field is perpendicular to the incident beam. The scattered beam is then collected on the plane of the multidetector.

We suggest an experimental answer: This problem will by analysed first simply by considering the side-chain polymer as consisting of two classes of scatterers: those of the main-chain (backbone) of average coherent scattering length $a_{1}$ and those of the side-chain part of average coherent scattering length $a_{2}$.

The associated scattering has been calculated and corresponds to the expression:

$$
\begin{align*}
S\left(\mathbf{q},\left(a_{\mathrm{H}}, a_{\mathrm{D}}\right), a_{2}\right)= & \phi(1-\phi)\left(a_{\mathrm{H}}-a_{\mathrm{D}}\right)^{2} N P_{1}(\mathbf{q}) \\
& +S_{0}\left(\mathbf{q},\left(a_{\mathrm{H}}, a_{\mathrm{D}}\right), a_{2}\right) \tag{3}
\end{align*}
$$

where $P_{1}(q)$ is the partial form factor associated with the backbone alone.

Experimentally, we demonstrate that the second term $S_{0}$ is negligible compared to the first one. Indeed, if we annihilate the first term by taking either an all-hydrogenous sample ( $\phi=1$ ) or a sample of polymers full deuteriated in the backbone ( $\phi=0$ ), we measure only the contribution of $S_{0}$ to the scattering. The experiment does not show any coherent scattering in the small $q$-range ( $|\mathbf{q}| R>0.18 \AA^{-1}$ ) under these two conditions (see figure 3). The same observation is made in the case of liquid crystal polymers deuteriated, this time, only at the extremity of each mesogenic moiety (absence of coherent scattering see figure 4). The reason why the function $S_{0}(\mathbf{q})$ corresponds to negligible values probably derives from the strong coupling which exists between the H and D parts of the partially labelled polymer. Indeed, no concentration fluctuations of the H part relative to the D part are allowed in the case of strong coupling and thus, the set of these two labelled and unlabelled elements can then be considered as a single scatterer.


Figure 3. Intensity scattered by a sample containing $X$ per cent of $\mathrm{PMA}-\mathrm{OC}_{4} \mathrm{H}_{9}$ and $(1-X)$ per cent of $\mathrm{PMA(D)-} \mathrm{OC}_{4} \mathrm{H}_{9}$ in the smectic phase. The direction of observation is parallel to the magnetic field (presence of the 001 reflection at $q=0.22 \AA^{-1}$ ). Curve ( 1 ) corresponds to the polymer deuteriated in the backbone 100 per cent $\mathrm{D}(X=0)$. Curve (2) corresponds to the fully hydrogenous polymer $X=100$. Curve (3) is the $\mathrm{H} / \mathrm{D}$ mixture of each of the polymers $X=50$.

The absence of the contribution of $S_{0}$ has the consequence that the scattering intensity $S\left(\mathbf{q},\left(a_{\mathrm{H}}, a_{\mathrm{D}}\right), a_{2}\right)$ corresponds to the form factor of the labelled parts of the molecule $P_{1}(\mathbf{q})$. This intensity is highest with a concentration $\phi=50$ per cent. This is the value used for all our studies. It has been checked elsewhere that the measured values of the radius of gyration are independent of the concentration $\phi$ [2(b)].


Figure 4. Intensities scattered by the same sample as before but deuteriated at the tail of each mesogenic unit: $(1-X)$ per cent $\mathrm{PMA}_{-}-\mathrm{OC}_{4} \mathrm{D}_{9}+X$ per cent $\mathrm{PMA}-\mathrm{OC}_{4} \mathrm{H}_{9}$. This scattering has been measured for the isotropic phase. Curve (1) $X=0$, curve (2) $X=100$, curve (3) $X=50$.

### 2.2. Experimental procedures

### 2.2.1. Determination of $R_{\|}$and $R_{\perp}$ from the raw data

The scattered beam is collected on the plane of a multidetector (PAXY, Lab, Léon Brillouin, Orphée Reactor) made of a network of $128 \times 128$ cells of $5 \times 5 \mathrm{~mm}^{2}$ size [5]. In order to obtain $R_{/ /}$and $R_{\perp}$, one divides the multidetector into 2 rectangular strips (horizontal and vertical) centred on the direct beam. The points in each strip are gathered together as a function of $q_{/ /}$and $q_{1}$. The range of $q$ usually chosen is between $0.008 \AA^{-1}$ and $0 \cdot 1 \AA^{-1}$ for a sample-multidetector distance of 2 m and a wavelength of 15 or $10 \AA$.

The distance between sample and multidetector enables observation of the 001 reflection of the smectic phase for most of the polymers studied (usually around $25-30 \AA$ of layer thickness). This is performed simply by switching the wavelength down to $3.7 \AA$ and keeping the same sample environment.

In order to obtain $R_{/ /}$and $R_{\perp}$, we use a standard procedure (for example see [6]) which can be summarized as follows:
(i) The background noise is eliminated by subtracting the $1 / 2$ sum of the intensities scattered by a sample containing hydrogenous polymers and another one containing partially deuteriated polymers.
(ii) the efficiency of the cells of the multidetector are normalized by dividing the intensity of each one by the intensity of an incoherent scatterer. The resulting intensity is proportional to the form factor. It can be written, as long as $|\mathbf{q}| R<2$ in the Guinier range:
in the direction parallel to the magnetic field

$$
\frac{1}{I_{\|}} \propto \frac{1}{n^{2}}\left(1+q_{\| /}^{2} \cdot R_{\|}^{2}\right)
$$

in the direction perpendicular to the magnetic field

$$
\frac{1}{I_{/}} \propto \frac{1}{n^{2}}\left(1+q_{\perp}^{2} \cdot R_{\perp}^{2}\right)
$$

$R_{\|}^{2}$ and $R_{\perp}^{2}$ correspond to the slope at small $q$-values when one plots the inverse of the intensity as a function of $q_{\|}^{2}$ and $q_{\perp}^{2}$ (Zimm representation).

### 2.2.2. The sample conditioning

The bulk polymer is placed between two quartz windows of 15 mm diameter spaced by 1 mm . This disk-like cell is put in an oven, itself placed between the poles of a magnet (see figure 2). The thermal process is particularly important, since the physical and mechanical properties of the polymers are very dependent on thermal history. We take this into account by giving a similar thermal history to all the samples. The sample is first heated to the isotropic phase in order to cancel not only the usual polymer memory effects [7], but also the liquid crystal order effect.

The study starts by the determination of $R_{/ /}$and $R_{\perp}$ in the isotropic phases and carries on with slowly decreasing temperature ( $<5^{\circ} \mathrm{Ch}^{-1}$ ) of the sample under a magnetic field of $1.4 \mathrm{~T} . R_{/ /}$and $R_{\perp}$ are then measured at several temperatures in each phase. We check that the polymer has reached an equilibrium state by measuring $R_{l /}$ and $R_{\perp}$ several times at a given temperature. The time necessary for one measurement varies from 3 to 20 h . This depends of course on the incident neutron flux and on the polymerization degree (equation (1)), as well as on the contrast density $\left(\left(a_{\mathrm{H}}-a_{\mathrm{D}}\right)^{2}\right.$, see equation (3)) between the deuteriated and hydrogenous molecules. This is one of the reasons why the error bars on $R_{/ /}$and $R_{\perp}$ vary from one polymer to another (see figure 4).

### 2.2.3. Control of the phase

The nematic phase. By decreasing the temperature from the isotropic phase, the nematic phase appears with an abrupt decrease of transparency at the isotropicnematic transition. (This eye-control permits one to obtain the transition temperature to around $2-3^{\circ}$ ).

The smectic phase. The temperature of the nematicsmectic transition in the experiment is then deduced from the value of the isotropic-nematic transition knowing the transition temperatures for each phase from DSC measurements (differential scanning calorimetry). The establishment of the smectic phase is also checked in situ by switching down the wavelength to obtain higher values of the scattering vector $q$ and by detecting the presence of the smectic reflection. The quality of the smectic order can be also checked from the width of the smectic peak.

## 3. Experimental results

This part begins with a description of the characteristics of a list of polymers. The dimensions of the polymers are obtained by SANS from samples aligned in a magnetic field. This list is not exhaustive. In particular, one can note the work of Kalus et al. [8], on the conformation of LC polysiloxanes and the results obtained by Mitchell et al. [9], on the backbone deformation of LC elastomers by stretching.

### 3.1. Description of the series of LC polymers studied

Eight species of polymer have been selected. They can be gathered into three families: (i) the polyacrylates, (ii) the polymethacrylates [10] and (iii) the poly(methylsiloxanes) [11].

The first two classes of polymers have been synthesized by radical polymerization of the side-chain monomers [8], whereas the poly(methylsiloxanes) were obtained by substitution of the hydrogens of a polyhydrogenmethylsiloxane chain by the liquid crystal moieties [9].

The chemical structures of the different polymers are summarized in table 1.

Table 1 List and structural description of the liquid crystal polymers presented in this study.


### 3.1.1. Raw results

A systematic description of the conformation versus temperature is given for each polymer in the following synoptic tables which are not indispensable for an understanding of the subsequent text. Seven polyacrylates and polymethacrylates have been investigated. Since the polyacrylates and the polymethacrylates are deuteriated on the backbone, the components $R_{/ /}$and $R_{\perp}$ correspond to the size of the polyacrylate and polymethacrylate backbones, respectively.

On the other hand, different sites of labelling (at the extremity of the mesogenic unit, on the spacer) and two degrees of polymerization have been studied for one type of polymethysiloxane.
3.2. Backbone conformation of a series of polyacrylates and polymethacrylates from the isotropic phase to the glassy state
The first polymer $\mathrm{PMA}^{2}-\mathrm{OC}_{4} \mathrm{H}_{9}$ [2(b)] corresponds to the following formula:

where $X=\mathrm{H}$ or D . It has an averaged weight degree of polymerization, $D P_{\mathrm{w}} \simeq 680$ with a polydispersity, $I=3 \cdot 3$. These averages have been calculated taking into account the hydrogenous polymer and the polymer deuteriated on the backbone, and the polydispersity of each of these. It presents the following succession
of phases:
$T_{\mathrm{g}}$ (glass transition) $38^{\circ} \mathrm{C} \mathrm{S}_{\mathrm{A}_{1}} 105^{\circ} \mathrm{C} \mathrm{N} 110^{\circ} \mathrm{C} \mathrm{I}$.
PMA- $\mathrm{OC}_{4} \mathrm{H}_{9}$ presents a narrow nematic temperature range ( $\sim 5^{\circ} \mathrm{C}$ ) and a broad monolayer smectic phase ( $\mathrm{S}_{\mathrm{A}_{1}}$ ). The smectic layer thickness has the same value as the most elongated form of the mesogenic group ( $29 \AA$ ). The variation of $R_{\|}$and $R_{\perp}$ is shown in figure 5 .

In the nematic phase, the values of $R_{/ /}$and $R_{\perp}(60 \pm 3 \AA$ and $65 \pm 3 \AA$, respectively) indicate that the polymer backbone adopts a slightly oblate shape (since $R_{\perp}>R_{l j}$.


Figure 5. $\quad R_{l /}$ and $R_{\perp}$ as a function of temperature for polymer PMA- $\mathrm{OC}_{4} \mathrm{H}_{9}$.


Figure 6. $\quad R_{i /}$ and $R_{\perp}$ as a function of temperature for polymer PMA- $\mathrm{OCH}_{3}$

In the smectic phase, there is an increase in $R_{\perp}$ and a simultaneous decrease in $R_{/ /}$when the temperature decreases. These changes occur over a range of $10^{\circ} \mathrm{C}$ below the nematic-smectic transition, beyond $R_{/ /}$and $R_{\perp}$ keep constant values

One notices that the error bars are larger for $R_{\perp}$ than for $R_{f /}$. This difference arises from the width of the Guinier domain, which is smaller in the direction perpendicular to the magnetic field than in the parallel direction, and therefore the determination of $R_{\perp}$ is made on a smaller number of points than for $R_{/}$.

The second polymer, PMA- $\mathrm{OCH}_{3}$ has the following formula:

where $X=\mathrm{H}$ or D , with a degree of polymerization, $D P_{\mathrm{w}} \simeq 800$ and a polydispersity of 2.7 .

The succession of phases is:

$$
T_{\mathrm{g}} 39^{\circ} \mathrm{C} \mathrm{~S}_{\mathrm{A}} 75^{\circ} \mathrm{C} \mathrm{~N} 108^{\circ} \mathrm{C} \mathrm{I} .
$$

The only difference between $\mathrm{PMA}-\mathrm{OCH}_{3}$ and the $\mathrm{PMA}-\mathrm{OC}_{4} \mathrm{H}_{9}$ lies in the terminal group $-\mathrm{OC}_{4} \mathrm{H}_{9}$ or $-\mathrm{OCH}_{3}$. This change produces a broadening of the nematic temperature range $\left(35^{\circ} \mathrm{C}\right)$. At a lower temperature, a smectic phase appears, although it has not always been identified in the literature [2(a)]. The layer thickness is $25 \pm 1 \AA$ which is also the length of the mesogenic group in its extended form ( $S_{A_{1}}$ ). Figure 6 gives the variation of $R_{l /}$ and $R_{-}$in each phase as a function of the temperature.

In the nematic phase, $R_{/ /}$becomes smaller than in the isotropic phase, whereas $R_{\perp}$ keeps a similar value. This
oblate deformation remains slight over the entire nematic range.

In the smectic phase, the increase in $R_{\perp}$ and the decrease in $R_{\|}$are similar to those obtained in the case of PMA- $\mathrm{OC}_{4} \mathrm{H}_{9}$ when the temperature decreases, but the anisotropy remains less strong than in the first case.

In the glassy state, the intensity is decreased by a parasitic scattering probably due to the fact that the sample fissures and detaches itself from the windows of the cell.

The third polymer $\mathrm{PA}-\mathrm{OCH}_{3}$ [12], is a polyacrylate with the following formula:

where $X=\mathrm{H}$ or D . The degree of polymerization of the labelled species, for which $R_{/ /}$and $R_{1}$ are given, is $D P_{\mathrm{w}}=100$ and the polydispersity is 2.3 . The polymer, presents the following succession of phases:

$$
T_{\mathrm{g}} 22^{\circ} \mathrm{C} \mathrm{~S}_{\mathrm{A}_{1}} 88^{\circ} \mathrm{C} \mathrm{~N} 116^{\circ} \mathrm{C} \mathrm{I}
$$

$\mathrm{PA}-\mathrm{OCH}_{3}$ has the same polymorphism as $\mathrm{PMA}-\mathrm{OCH}_{3}$ and the same smectic monolayer thickness of $25 \pm 1 \AA$. The evolution of $R_{/ / /}$and $R_{\perp}$ is shown in figure 7 .

In the nematic phase, the global size of the polymer backbone decreases, since $R_{/ /}$decreases markedly, while $R_{\perp}$ remains close to the value adopted in the isotropic phase. This again corresponds to an oblate shape.

In the smectic phase, one has the same anisotropy ( $R_{\perp}>R_{/ /}$), but the evolution of $R_{/ /}$and $R_{\perp}$ differs from that observed in the cases of PMA- $\mathrm{OCH}_{3}$ and $\mathrm{PMA}-\mathrm{OC}_{4} \mathrm{H}_{9}$. Indeed the parallel component $R_{/ /}$is extremely small and does not vary, whereas $R_{\perp}$ increases from 21 to $27 \AA$ over the same range of temperature.


Figure 7. $\quad R_{/ /}$and $R_{\perp}$ as a function of temperature for polymer $\mathrm{PA}-\mathrm{OCH}_{3}$


Figure 8. $\quad R_{/ /}$and $R_{\perp}$ as a function of temperature for polymer PMA-CA.

The fourth polymer, PMA-CN [13], is a polymethacrylate which differs from $\mathrm{PMA}-\mathrm{OCH}_{3}$ or $\mathrm{PMA}-\mathrm{OC}_{4} \mathrm{H}_{9}$ in having the extremity of the mesogenic group substituted by a cyano group. Its formula is the following:

where $X=\mathrm{H}$ or D . The degree of polymerization is $D P_{\mathrm{w}}=270$ and the polydispersity $I=2 \cdot 3$. Its polymorphism is:

$$
T_{\mathrm{g}} 50^{\circ} \mathrm{C} \mathrm{~S}_{\mathrm{A}_{\mathrm{d}}} 92^{\circ} \mathrm{C} \mathrm{~N} 108^{\circ} \mathrm{C} \mathrm{I}
$$

The cyano group enhances the polarity of the mesogenic groups and this changes the molecular organization of the smectic phase. It corresponds, in this case, to a partially bilayered smectic phase ( $\mathrm{S}_{\mathrm{A}_{\mathrm{d}}}$, since the layer thickness ( $d=35 \AA$ ) is larger than the length of the extended mesogenic group ( $23 \AA$ ), but smaller than twice this length ( $46 \AA$ ).

Figure 8 shows the values of $R_{/ /}$and $R_{\perp}$ in each phase. In the nematic phase, the anisotropy is weak and of the oblate type $R_{\perp}>R_{/ /}$. In the smectic phase, the difference between $R_{\perp}$ and $R_{/ /}$increases with falling temperature, but in contrast to the polymers previously presented, $R_{\perp}$ does not increase, and maintains values close to those obtained for the isotropic phase, whereas $R_{\|}$becomes smaller than in the isotropic phase.

The fifth polymer $\mathrm{PA}_{6}-\mathrm{CN}$ [14], has a polyacrylate backbone and the rigid core of the side-groups is constituted by a cyanobiphenyl group, which is therefore different from that in all the preceding polymers. The formula is the following:

where $X=\mathrm{H}$ or D .
The labelled polymer, for which the variation of $R_{/ /}$and $R_{\perp}$ is given in figure 9 has a degree of polymerization, $D P_{\mathrm{w}}=340$ and a polydispersity of 2.3. $\mathrm{PA}_{6}-\mathrm{CN}$ presents a special polymorphism:

$$
T_{\mathrm{g}} 35^{\circ} \mathrm{C} \mathrm{~N}_{\mathrm{Re}} 83^{\circ} \mathrm{C} \mathrm{~S}_{\mathrm{A}_{\mathrm{d}}} 112^{\circ} \mathrm{C} \text { N } 122^{\circ} \mathrm{C} \mathrm{I}
$$

since a re-entrant nematic phase appears below the smectic phase on decreasing the temperature: the smectic phase is of the $S_{A_{d}}$ type, since the extended length of the mesogenic group is $23 \AA$ and the smectic larger thickness is $34 \AA$.

In the high temperature nematic phase, the anisotropy corresponds to a weak oblate shape, $R_{\perp}>R_{/ /}$despite the error bars. Indeed, the scattering curve shows clearly that the intensity in the perpendicular direction to the magnetic field $I\left(q_{\perp}\right)$ is always below that of $I\left(q_{i}\right)$, that is to say $R_{\perp}>R_{/ /}$. In the smectic phase, $R_{\|}$decreases as the temperature decreases, whereas $R_{\perp}$ keeps a value close to that of the isotropic phase ( $52 \pm 2 \AA$ ). The polymer presents then a behaviour similar to that of PMA-CN in the smectic phase. In the re-entrant nematic phase, a striking result is obtained: there is an inversion of the backbone anisotropy which becomes prolate ( $R_{/ /}>R_{\perp}$ ). Therefore the same polymer can present two types of anisotropy (oblate and prolate) dependent upon the temperature. A discussion about the polymer conformation in the nematic phase will be developed in $\S 3.4$.

The sixth polymer, $\mathrm{PA}_{5}-\mathrm{OCH}_{3}[15]$, is unlike the other polymers in that it possesses only a wide range nematic phase $\mathrm{I}-\mathrm{N}-T_{\mathrm{g}}$. It has to the following formula:


Figure 9. $\quad R_{/ /}$and $R_{J}$ as a function of temperature for polymer $\mathrm{PA}_{6}-\mathrm{CN}$.


Figure 10. $\quad R_{/ /}$and $R_{\perp}$ as a function of temperature for polymer $\mathrm{PA}_{5}-\mathrm{OCH}_{3}$.

where $X=\mathrm{H}$ or D .
The polymerization degree of the deuteriated polymer, for which the values of $R_{/ /}$and $R_{\perp}$ are given in figure 10 , is $D P_{\mathrm{w}}=360$ and the polydispersity is 2.8 . The polymer has the polymorphism:

$$
T_{\mathrm{g}} 50^{\circ} \mathrm{C} \mathrm{~N} 127^{\circ} \mathrm{C} \mathrm{I}
$$

In the nematic phase, the backbone clearly adopts a prolate shape like PA-CN in the re-entrant nematic phase. Note that the deformation of the backbone begins with an increase of $R_{/ /}$whereas $R_{\perp}$ keeps nearly the same value as in the isotropic phase.

The anisotropy and its variation are inverted compared with that for the polymers presenting a smectic phase ( $R_{\perp}$ always increases and $R_{/ /}$sometimes decreases).

On decreasing the temperature below $65^{\circ} \mathrm{C}$, crystallization occurs; this produces an abnormal scattering at very small angles and prevents the determination of the values $R_{/ /}$and $R_{-}$in this temperature range.

The seventh polymer, $\mathrm{PA}_{4}-\mathrm{CN}$, differs from polymer $\mathrm{PA}_{6}-\mathrm{CN}$ by its spacer length of four $\left(\mathrm{CH}_{2}\right)$ instead of six $\left(\mathrm{CH}_{2}\right)$. The formula is the following:

where $X=H$ or $D$. The phases presented are the following:

$$
T_{\mathrm{g}} 40^{\circ} \mathrm{C} \mathrm{~N} 123^{\circ} \mathrm{C} \mathrm{C} \mathrm{I}
$$

In agreement with Gubina et al. [16], this polymer
gives only a nematic phase on cooling the isotropic phase. The polymerization degree is $D P_{\mathrm{w}} \simeq 39$ and the polydispersity is $2 \cdot 7 . \mathrm{PA}_{6}-\mathrm{CN}$ and $\mathrm{PA}_{4}-\mathrm{CN}$ correspond to the two sides of the copolymer $\mathrm{PA}_{6}-\mathrm{CN} / \mathrm{PA}_{4}-\mathrm{CN}$ [16] where it is shown in a diagram that the re-entrance for $\mathrm{PA}_{6}-\mathrm{CN}$ disappears as the proportion of $\mathrm{PA}_{4}-\mathrm{CN}$ increases giving place to a large nematic range. The initial aim was to find, with this polymer, if the inversion of conformation (prolate/oblate) seen in the two nematic phases of $\mathrm{PA}_{6}-\mathrm{CN}$ occurred also in the broad nematic phase of $\mathrm{PA}_{4}-\mathrm{CN}$.

Figure 11 shows that the polymer backbone of $\mathrm{PA}_{4}-\mathrm{CN}$ adopts only a prolate shape over all the nematic range. However, the prolate anisotropy remains weak for about $10^{\circ} \mathrm{C}$ below the I-N transition and then develops. This variation is still not clearly understood and presents some analogy with the behaviour of $\mathrm{PA}_{5}-\mathrm{OCH}_{3}$.

### 3.3. Conformation of poly(methylsiloxanes)-influence of the labelled site [11]

Collaboration with F. Hardouin-CRPP group of Bordeaux. The liquid crystal poly(methylsiloxanes) called PMS differ from the preceding polymers in their backbone and their shorter spacer $\left(\mathrm{CH}_{2}\right)_{4}$ directly grafted to the Si atom. The formula of this polymer is


One should note the inversion of the carbonyl group localized between the two phenyl rings. The resulting polymorphism is

$$
T_{\mathrm{g}} 7^{\circ} \mathrm{C} \quad \mathrm{~S}_{\mathrm{A}_{\mathrm{d}}} 74^{\circ} \mathrm{C} \quad 104^{\circ} \mathrm{C}
$$

The smectic phase is partially bilayed ( $\mathrm{S}_{\mathrm{A}_{d}}$ ), since the


Figure 11. $R_{l /}$ and $R_{\downarrow}$ as a function of temperature for polymer $\mathrm{PA}_{4}-\mathrm{CN}$.
smectic layer thickness ( $d=36 \pm 1 \AA$ ) remains between once and twice the length of extended mesogenic groups ( $24 \AA$ ).

The synthesis method (i.e. substitution of some hydrogens from the chain of the poly(hydrogenomethylsiloxane) by mesogenic groups [17]), implies that the labelled part is on the side chain. Two labelling types, (1) at the extremity of each mesogenic unit $\left(\mathrm{OCD}_{3}\right)$ and (2) deuteriation on the spacer, were used.

The polydispersity is low $(\mathrm{I} \simeq 1 \cdot 1)$ and two polymerization degrees were chosen $(D P=35$ and $D P=80)$.

### 3.3.1. Specific problems for the PMS study

The grafting of the mesogenic units along the poly(methylsiloxane) chain needs a platinum catalyst. Clusters of impurities remain in small quantity in the sample and give rise to a central scattering visible for all the samples ( 100 per cent hydrogenous, 100 per cent $D$ selectively deuteriated, and for the mixture). This disturbs the signal owing to the coherent scattering and also produces a modification of the background level.

Despite the uncertainty about the values of the gyration radii, the type of anisotropy (prolate or oblate) is however clearly determined, since it comes from the direct comparison of the slopes $I^{-1}\left(q_{\|}\right), I^{-1}\left(q_{\perp}\right)$ versus $q_{\|}^{2}, q_{1}^{2}$, respectively.

### 3.3.2. Results obtained with labelling on the extremities of the side-chains

In the case where the mesogenic units are labelled on the extremities $\left(-\mathrm{OCD}_{3}\right)$, the SANS signal associated with a mixture of all-hydrogenous polymer with polymer deuteriated at the extremities, gives radii of gyration $R_{/ / \mathrm{g}}$ and $R_{\perp \mathrm{g}}$ related to the set of these extremities. Since these extremities correspond to the external part of the chain, the scattering intensity gives an overall conformation of the polymer, whereas backbone labelling gives the backbone conformation alone.
3.3.2.1. Influence of the degree of polymerization (DP) PMS deuteriated at the mesogenic group ends of $D P=35$ [10]. The values of $R_{/ \mathrm{g}}$ and $R_{\perp \mathrm{g}}$ indicate that overall polymer shape is prolate in the nematic phase as well as in the smectic phase, since $R_{/ \mathrm{k}}>R_{\perp \mathrm{g}}$. It is of interest to know if the prolate overall shape is coherent with the oblate backbone shape proposed by Kalus et al. [8], for a similar PMS of $D P=63$ labelled on the spacer, since the length of the backbone is of similar size to that of the mesogenic unit. An increase in the polymerization degree should be sufficient to make an inversion of the backbone anisotropy appear.

PMS deuteriated at the mesogenic group ends of $D P=80[11]$. This polymer only differs in the polymerization degree $(D P=80)$ and presents the same phase


Figure 12. Guinier representation of the intensity scattered parallel and perpendicular in the nematic phase at $85^{\circ} \mathrm{C}$ for polymer PMS $(D P=80)$ deuteriated on the spacer.
succession at the same transition temperatures.
In nematic phase, the overall shape is also prolate, whereas the conformation becomes oblate in the smectic phase and therefore adopts an inverse conformation compared with the polymer of $D P=35$. The preceding prolate shape observed for $D P=35$ in fact hides an oblate backbone conformation in the smectic phase.

A rapid estimation of the backbone components $R_{i /}$ and $R_{\perp}$ can be deduced from overall measured values by

$$
R_{\perp \mathrm{g}}^{2}=R_{\perp}^{2} \quad \text { and } \quad R_{/ / \mathrm{g}}^{2}=\mathbf{R}_{\|}^{2}+\langle l\rangle^{2},
$$

where it is assumed that the nematic order parameter is close to 1 and $\langle l\rangle$, the averaged length of the mesogenic group, is close to $20 \AA$. An oblate backbone anisotropy is also deduced in this way from data published for the nematic $[10,11]$ and this will be experimentally demonstrated with the polymer deuteriated on the spacer.
$P M S(D P=80)$ deuteriated on the spacer. The polymer is this time, labelled on the last methylene group of the spacer linked to the rigid core. The polymer shape is then seen from the end of the spacer. Figure 12 gives a Guinier representation of the scattered intensity in the nematic phase at $85^{\circ} \mathrm{C}$.

The difference in the slopes shows that the backbone conformation is also oblate in the nematic phase, as found for all the polyacrylates and polymethacrylates having a smectic phase in addition to the nematic phase.

### 3.3.3. Summary of the different results

In order to analyse the polymer conformation in each mesophase, we shall first recall the behaviour of a polymer in the isotropic phase, in order to discriminate the contribution of the liquid crystal order from that of usual polymer behaviour.

In the case of normal polymers (amorphous), no significant variation of the radius of gyration appears in the bulk state with temperature [3(b)]. We also found that the


Figure 13. Deformation ratio of the backbone in the smectic phase of different liquid crystal polymers versus polymerization degree. $\left.\left(R_{i} / R_{\mathrm{iso}},\right)^{\circ}\right),\left(R_{\perp} / R_{\text {iso }},+\right)$. ( $a$ ) In the nematic phase, ( $b$ ) in the smectic phase.
liquid crystal polymers ( $\mathrm{PMA}-\mathrm{OCH}_{3}$ ) maintain constant sizes in the isotropic phase (within the limit of accuracy of the gyration radius measurement over a range of $40^{\circ} \mathrm{C}$ ).

### 3.3.3.1. Main results obtained for the nematic and smectic phases

From the study of the different polymers presented, it appears that two types of behaviour can be distinguished: prolate if the mesomorphic polymer possesses only a nematic phase, or oblate when it presents in addition a smectic phase.

The nematic polymer. The first series concerns the polymers $\mathrm{PA}_{5}-\mathrm{OCH}_{3}, \mathrm{PA}_{4}-\mathrm{CN}$ and the side-chain copolymer aligned by magnetic field and studied by Mitchell et al. [9], which adopt solely a prolate shape over the single large range nematic phase.

The nematic-smectic polymers. The second series includes all the other polymers: the polymethacrylates ( $\mathrm{PMA}-\mathrm{OC}_{4} \mathrm{H}_{9}$. PMA- $\mathrm{OCH}_{3}, \mathrm{PMA}-\mathrm{CN}$ ), and the polymethylsiloxanes [11]. Whatever the nematic or smectic phase, the polymer deformation corresponds to the inequality $R_{i /}<R_{\perp}$. The backbone tendency is to be
perpendicular to the average direction of the mesogenic groups.

In order to give a general view of the backbone anisotropy of these different polymers, we compare the ratios of $R_{/} / R_{\text {iso }}$ and $R_{\perp} / R_{\text {iso }}$, where $R_{\text {iso }}$ is the value measured for the isotropic phase.

In the nematic phase, all the polymers presenting a smectic phase, show a small difference ( $R_{\perp}-R_{i j}$ ). This difference is always positive, weaker than in the smectic phase and not very sensitive to temperature (see in the preceding section the behaviour of $\mathrm{PMA}-\mathrm{OCH}_{3}$ in the nematic phase). This is shown in figure 13 (a) by the values of $R_{i /} / R_{\text {iso }}, R_{\perp} / R_{\text {iso }}$ very close to the isotropic state: $0.8<R_{\| /} / R_{\text {iso }}<1$ and $0.9<R_{\perp} / R_{\text {iso }}<1.2$.

In the smectic phase, there is a strong deformation of the polymer backbone. It appears that the difference ( $R_{:}-R_{l /}$ ) increases sharply at the nematic-smectic A transition and over approximately $10^{\circ} \mathrm{C}$ below this (see, for example, figures 5 or 6 ). Then $R_{\perp}$ and $R_{/ /}$remain almost constant until the glassy state. In figure $13(b)$ are reported the values of $R_{\perp} / R_{\text {iso }}$ and $R_{l /} / R_{\text {iso }}$ taken far away from the nematic--smectic transition. It can be seen that the points in the smectic phase are largely more spread around the value 1 . Notice that the mosaicity corresponding to the smectic domains keeps constant over the whole temperature range.

Deformation can take place symmetrically in the two directions parallel and perpendicular to the magnetic field (see PMA-OC4 $\mathrm{H}_{9}, \mathrm{PMA}-\mathrm{OCH}_{3}, \mathrm{PA}-\mathrm{OCH}_{3}$ ), but it can also occur only in the direction parallel to the magnetic field (see PA-CN, PMA-CN). In both cases, the parallel dimension of the polymer backbone is always reduced. The smectic phase establishes itself with major rearrangements in the parallel direction which could correspond to a repartitioning of the backbones, mostly between the mesogenic layers.

### 3.4. Discussion on the nematic phase and the smectic phase

### 3.4.1. The nematic phase: Confrontation with theoretical models for the nematic phase

One recalls that the two backbone conformations, oblate and prolate, have been found experimentally for the nematic phase. Was theory able to predict these two conformations?

We present here some brief summaries of theorics and the limits of their validity (for a more complete description see, for example, [18]).

### 3.4.1.1. The lattice model adapted for side-chain polymers

Vasilenko et al. [19], consider each macromolecule as a succession of $n$ repetitive blocks. The lattice is formed by the set of the $N$ polymers. The partition function $Z$


Figure 14. Model proposed for the nematic phase by Vasilenko et al. [19].
corresponding to the number of different polymer arrangements in the lattice is calculated, taking into account the fact that the backbone and the spacer are more flexible than the mesogenic group and that they form an angle between them. The minimization of the free energy $\Delta F=-N k T \log Z$ gives different relations between the parameters from which phase diagrams are deduced. There result three oblate conformations. The oblate tendency is more or less important depending on the volume ratio of the backbone sites and the mesogenic unit sites. In the case of the polyacrylates or polymethacrylates studied here, this ratio would be 0.1 . Following this theoretical model, the strongest oblate conformation should be obtained when the backbone remains perpendicular to the nematic axis (see figure 14).

This model does not fit the experimental results; moreover it cannot take into account the conformation change with temperature, since the model is built on athermal parameters.

### 3.4.1.2. A worm-like chain model applied to liquid crystal polymers

Wang and Warner [20] treat side-chain polymer systems by a mean-field model which combines the usual Maier-Saupe theory for the liquid crystal part and the model of worm-like chain for the polymer part. The backbone is considered as a continuous chain where, at each point, a tangent unit vector $\mathbf{u}$ is defined. $\mathbf{u}$ wanders


Figure 15. The three backbone conforms predicted by Wang and Warner [20] for the nematic phase.
over the surface of a sphere and is attracted to or repulsed from the poles with a potential $U . U$ contains all the parameters necessary for the description of side-chain polymer systems. Five coupling parameters between mesogenic group, spacer and backbone and two order parameters $S_{A}$ and $S_{B}$ are so defined. These last two parameters correspond, respectively to the usual orientational parameter of liquid crystal and a backbone order parameter which gives the type of anisotropy ( $S_{B}>0$ in the prolate case and $\mathrm{S}_{\mathrm{B}}<0$ for the oblate case). Three backbone conformations called $\mathrm{N}_{\mathrm{I}}, \mathrm{N}_{\mathrm{II}}, \mathrm{N}_{\text {III }}$ (see figure 15) are deduced, corresponding to different values of the coupling parameters and to the ratio $\chi$ of the volume fraction of the mesogenic group on the backbone, and also as a function of temperature.
$\chi$ has been calculated in the case of the polymers presented, and gives $\chi>0.9$. Such a high frequency of mesogenic group repetition along the chain should produce, in all the theoretical cases, an oblate conformation ( $\mathrm{N}_{1}$ phase). At present, this theory cannot explain the prolate shape obtained for $\mathrm{PA}_{6}-\mathrm{CN}, \mathrm{PA}_{4}-\mathrm{CN}$ and $\mathrm{PA}_{5}-\mathrm{OCH}_{3}$. Weaker values of $\chi$ can account for the two backbone conformations, oblate and prolate, with realistic values of the coupling parameters. A nematic-nematic re-entrance [21] is even predicted, for which the polymer backbone adopts an oblate shape at high temperature and becomes prolate when the temperature decreases. This could correspond to what is observed for $\mathrm{PA}_{6}-\mathrm{CN}$, but no smectic phase is predicted between the two nematic phases. Moreover, the $\mathrm{N}_{\text {I-III }}$ re-entrance is theoretically based on a strong backbone-mesogenic group coupling, which has no physical basis, since the aromatic part of the liquid crystal has no affinity with for the aliphatic part of the backbone.

### 3.4.1.3. Empirical interpretation of the conformation in the nematic phase

Five oblate shapes and three prolate shapes have been determined. All the polymers presenting an oblate shape form a smectic phase on decreasing the temperature from the nematic phase. Moreover, strong smectic fluctuations [15] or correlation lengths larger or comparable to $R_{\perp}$ are always detected in the nematic phase. It is then logical to conclude that the oblate backbone conformation could be simply the result of the smectic fluctuations.

In this way, the 'natural' conformation adopted by the backbone of a side-chain polymer in a pure nematic phase is a prolate shape. This is in agreement with the structure of the nematic phase which is made of rod-like mesogenic moieties and which sterically favours (if the spacer enables it) a packing of the backbones in the direction parallel to the rod-like units. This prolate shape is relatively independent of the spacer length, since $\mathrm{PA}_{4}-\mathrm{CN}, \mathrm{PA}_{6}-\mathrm{CN}$ and $\mathrm{PA}_{5}-\mathrm{OCH}_{3}$ and $\mathrm{PA}_{5}-\mathrm{OCH}_{3}$ possess different spacers


Figure 16. Attempted representation of the polymer backbone confined "quasi-bidimensionaly" between layers of liquid crystals.
(respectively, $\left.\mathrm{CH}_{2}\right)_{4},\left(\mathrm{CH}_{2}\right)_{6}$ and $\left(\mathrm{CH}_{2}\right)_{5}-\mathrm{CO}$ ). The spacer is not short and rigid enough to hold the backbone perpendicular to the liquid crystal part. The same prolate anisotropy has been found for a 'diluted' side-chain polymer where the mesogenic units are statistically distributed along a polyacrylate-copolymer [9]. This seems to indicate that the grafting ratio (frequency of mesogenic unit repetition along the backbone) does not influence the anisotropy type. It is also of interest to recall that side-chain liquid crystal polysiloxanes too exhibit a prolate shape in nematic solutions [22]. The prolate shape appears then to be a shape relatively independent of the medium for the nematic phase. This excepts the case of stretched polymers, for which different backbonc conformations have been found, depending on the odd or even number of $\left[\mathrm{CH}_{2}\right]$ segments in the spacer [23]. However, we consider here only cases where a magnetic field is applied, and we cannot compare the mechanisms involved in the case of a stretched chain with those for alignment of the side-chain parts by a magnetic field.

### 3.4.2. Discussion on the polymer conformation in the smectic phase

### 3.4.2.1. Where is the polymer backbone when the sidechain groups form the smectic arrangement?

From the small-angle neutron scattering data, it appears that the global backbone conformation of the polymer in the smectic phase is oblate ( $R_{l}<R_{\perp}$ ) and becomes more and more oblate when the temperature decreases (see figures 5-11). The component parallel to the magnetic field $R_{/ /}$can reach the spectacularly low value of $7 \pm 2 \AA$ in the case of $\mathrm{PA}-\mathrm{OCH}_{3}$ (figure 7). The value of $R_{/ /}$is smaller than the smectic layer thickness of $25 \pm 1 \AA$ (and cven half of the layer thickness); the extension of the backbone is not on average sufficient to fill all the thickness of the smectic layer. Since the smectic phase comes from the segregation of the aromatic parts from the aliphatic parts, it can be deduced that the polymer backbone is mostly located between two successive mesogenic layers. The periodic backbone confinement is
also confirmed by the distribution profiles of the backbones which have been determined for a smectic polymer that we could name $\mathrm{PMA}_{-} \mathrm{OCH}_{6} \mathrm{H}_{13}$ [24] and also for PMA- $\mathrm{OC}_{4} \mathrm{H}_{9}$ [25]. The case of $\mathrm{PA}-\mathrm{OCH}_{3}$ demonstrates that the backbones, taken as sandwiched between the liquid crystal layers, can be confined quasi-bidimensionally (that is to say on average without crossing through the mesophase layer) between two successive mesogenic layers (see figure 16).

### 3.4.2.2. Crossing of the backbone through the layers and the parameters for crossing

The polyacrylate $\mathrm{PA}-\mathrm{OCH}_{3}$ corresponds to an extreme confinement with $R_{V}=7 \pm 2 \AA$. All the other polymers studied show valucs of $R_{/ /}$similar to or larger than half of the layer thickness, which implies that on average the backbone does in these cases cross the mesogenic layer (see table 2);

Influence of the polymerization degree. In table 2, one notes that the lowest value of $R_{/ /}$(obtained with $\mathrm{PA}-\mathrm{OCH}_{3}$ ) corresponds also to the lowest polymerization degree. The chain length plays an important role in the mechanism of confinement. The way out of the liquid crystal zones is shorter and easier for a shorter chain. This assumption seems to be checked on comparing the values of $R_{/ /}$of $\mathrm{PA}-\mathrm{OCH}_{3}$ to those of $\mathrm{PMA}-\mathrm{OCH}_{3}$, since these two polymers have the same chemical formula except for the methyl of the backbone. These two compounds also possess the same phase succession and layer thickness $(25 \pm 1 \AA)$. The high degree of polymerization $(\sim 700)$ of PMA $\mathrm{OCH}_{3}$ may explain the weak confinement ( $R_{/ /}=54 \pm 3 \AA$ ) in regard to the strong shrinking of $\mathrm{PA}-\mathrm{OCH}_{3}\left(R_{/}=7 \pm 2 \AA\right)$.

This result can apparently be extended to the other polymers, if we consider the values of $R_{/ /}$and $R_{\perp}$ for the different polymers as a function of $z$-average of the polymerization degree (since the scattering techniques measure the $z$-average of $R_{/ /}$and $R_{\perp}$ in a case of gaussian polymer [26]). This $z$-average is deduced from the weight-average by the relation $\left\langle D P_{i}\right\rangle=\sqrt{ }(2 I-1 /$ $I) \times\left(M_{\mathrm{w}} / m\right)$ in the case of Schulz-Flory distribution, where $l$ is the polydispersity and $m$ the molecular weight of the monomer [27]. The values of $R_{/ /}$and $R_{-}$versus $\left\langle D P_{z}\right\rangle$ are expressed in figures 17 and 18 . The largest values of $R_{\perp}$ correspond to the highest molecular weights. As for $R_{\beta}$, the higher $R_{/ ;}$, the higher is $\left\langle D P_{z}\right\rangle$. The values of $R_{/ /}$and $R_{\perp}$ seem then to be related to the chain length. However, no corrclation between ( $R_{\|,}, R_{\perp}$ ) and $\left\langle D P_{\star}\right\rangle$ can be established, and other parameters have obviously an influence. For example, the difference between the $R_{/ /}$value of PMA$\mathrm{OC}_{4} \mathrm{H}_{9}$ and that of $\mathrm{PMA}-\mathrm{OCH}_{3}$ cannot simply be explained only by the difference between the polymerization degrees.

The dependence of the confinement on the chain length

Table 2. Comparison of physical features of some of the polymers studied.

|  | Minimum <br> value <br> of $\langle R\rangle_{z} \AA$ | Layer <br> thickness <br> $d / \AA$ | Crossing | Polymerization <br> degree in <br> weight | Polydispersity |
| :--- | :---: | :---: | :---: | :---: | :---: |
| Polymer | $7 \pm 2$ | 25 | no | 87 | $2 \cdot 3$ |
| $\mathrm{PA-OCH}_{3}$ | $54 \pm 3$ | 25 | yes | 685 | $2 \cdot 7$ |
| ${\mathrm{PMA}-\mathrm{OCH}_{3}}^{\text {PMA-OC }} 49$ | $18 \pm 1$ | 30 | yes | 800 | $3 \cdot 3$ |
| $\mathrm{PMA}_{9}-\mathrm{CN}$ | $21 \pm 2$ | 35 | yes | 266 | $2 \cdot 4$ |
| $\mathrm{PA}_{6}-\mathrm{CN}$ | $30 \pm 2$ | 34 | yes | 340 | $2 \cdot 3$ |

raises the problem of thermodynamic equilibrium. It is quite certain that the polymers are in an equilibrium state on the time scale of the experiment (more than five hours) for a given temperature. This is established by the identical results obtained after successive measurements under identical conditions. But kinetic problems could occur when the temperature varies too rapidly, and some definitive knots could occur when the backbone has to cross the backbone interface. It is understandable that the longer the chain, the more numerous will be the entangled knots, and it is most probable that these kinetic defects appear above all during the nematic-smectic transition.

Two kinds of defects can be distinguished.
Existence of kinetic defects. It is shown that the speed with which the temperature is decreased and the time during which the alignment and/or the realignment is carried out in the nematic phase, influences the anisotropy ratio of the polymer backbone. The same sample of PMA- $\mathrm{OC}_{4} \mathrm{H}_{9}$ is cooled from the isotropic phase, aligned in the nematic phase by a magnetic field of 1.4 T for different alignment times and is then slowly cooled in the smectic phase.

From figure 19, it clearly appears that as the alignment time in the nematic phase increases, $R_{/ /}$diminishes and $R_{\perp}$ becomes greater. Since the role of the magnetic field is to reorient the nematic monodomains, the first effect of the


Figure 17. Component $R_{\perp}$ of the backbone gyration radius as a function of the polymerization degree in the smectic phase.
misalignment time is an improvement of the smectic mosaicity. The evaluation of the mosaicity from the 001 Bragg reflections corresponding to curves (1) and (2) shows indeed a shrinking of the Bragg peak width from (1) to (2). However, the variation of $R_{l}$ and $R_{\perp}$ is too large between curves (1) and (2) to be explained only by a better mosaicity (assuming that the backbone layers are tilted with the same angle as the smectic layers, the variation of $R_{/ /}$and $R_{\perp}$ between the two alignments should correspond to a very large decrease of the tilt angle of $30^{\circ}$ [28]).
The entanglements knots could be understood as a result of the difference in relaxation times between the mesogen and the polymer chain. These times are much slower in the case of the polymer. This interpretation connects with that of Rieger [29] who suggests that these entanglements form at the smectic-nematic transition and no later. In this way, they do not modify the ( $R_{\|}, R_{-}$) curve shape, but the plateau level at low temperature. This seems to be indicated by the similar shape of the three curves in figure 19.

Thermodynamic defects. In contrast with the entanglement knots, some crossings are temperature dependent and give, whatever the thermal history, an analogous decrease in $k_{/ /}$(see figure 19). These extensions of the polymer backbone into the liquid crystal layers are called thermodynamic defects.

In the case of PMA- $\mathrm{OC}_{4} \mathrm{H}_{9}$, the decrease in $R_{/ /}$occurs


Figure 18. Component $R_{/ /}$of the backbone gyration radius as a function of the polymerization degree in the smectic phase.


Figure 19. Components parallel $R_{f}$ and perpendicular $R_{\perp}$ to the magnetic field of the gyration radius of the backbone of PMA- $\mathrm{OC}_{4} \mathrm{H}_{9}$. Curves (1) obtained after an alignment time of $\frac{1}{2}$ hour in the nematic phase. Curves (2) obtained by decreasing the temperature after a rapid reheating of the sample to the isotropic phase, successively to (1), and an alignment time of one hour in the nematic phase. Curve (3) obtained independently from the above two ( 30 h in the isotropic phase) by decreasing the sample temperature very slowly ( $1^{\circ} \mathrm{C} / 4 \mathrm{~h}$ ) from the isotropic phase. $R_{\perp}$ is missing, since the experimental conditions could not allow the measurement of both $R_{/ /}$and $R_{\perp}$ with good accuracy. Independently of the thermal history, the same value has been obtained ( $64 \pm 2 \AA$ ) for the isotropic phase, indicating that there is no polymer degradation. The thermodynamic equilibrium was checked in the smectic phase by repeating twice the measurements of $R_{/ /}$and $R_{\perp}$ at one temperature, just above the nematic-smectic transition.
simultaneously with the increase in $R_{\perp}$ when the temperature decreases. Each of these curves can be modelled by a power law. The best accuracy has been obtained with curve (3) [30]:

$$
R\left((\AA)=35\left(98-T\left({ }^{\circ} \mathrm{C}\right)\right)^{-0.17 \pm 0.02}\right.
$$

where $T=98^{\circ} \mathrm{C}$ corresponds nearly to the nematic-smectic transition temperature measured under the experimental conditions (this value is relative and averaged, in the sense that it is very difficult to know the temperature inside the sample).

This law has no theoretical basis and is no longer valid at the nematic-smectic transition and at low temperatures. This remark is also true at low and high temperatures for the recent theories presented by Rieger [30] or Renz and Warner [31]. However, the exponentional law $\exp (-E / k T)$, where $E$ is a constant and $T$ the temperature, cannot predict the variation of $R_{/ /}$and $R_{\perp}$ as a function of temperature. In contrast, the power law found for $R_{/}(T)$ could be directly related to the establishment of the smectic order. Indeed, the smectic order parameter associated with the density of mesogenic units present in the layer can also be expressed as a power law (see for example Brochard [32]). In this way, these 'thermodyn-


Figure 20. Comparison of the evolution of the reported components $R_{/ /}$and $R_{\perp}$ to the values in the isotropic phase $\left(\backslash F\left(R_{/} ; R_{\mathrm{iso}}\right), \backslash F\left(R_{\perp} ; R_{\mathrm{iso}}\right)\right)$ for the backbones of PMA-OCH ${ }_{3}$
 function of reduced temperature.
amic defects' correspond to allowed extensions of the backbone into the liquid crystal smectic layers. This experimental interpretation will be developed now in the framework of structural (layer characteristics) and conformational (polymer characteristics) results.

### 3.4.2.3. Structural and conformational comparative analysis of $\mathrm{PMA}-\mathrm{OCH}_{3}$ and $\mathrm{PMA}-\mathrm{OC}_{4} \mathrm{H}_{9}$

PMA- $\mathrm{OCH}_{3}$ and $\mathrm{PMA}-\mathrm{OC}_{4} \mathrm{H}_{9}$ are two mesomorphic polymethacrylates corresponding to the same chemical formula except for the end of the mesogenic tail which is $-\mathrm{OCH}_{3}$ for the first polymer and $-\mathrm{OC}_{4} \mathrm{H}_{9}$ for the second


Figure 21. Picture in reciprocal space of the scattering produced by the mixture $\mathrm{PMA}_{3}-\mathrm{OC}_{4} \mathrm{H}_{9} / \mathrm{PMA}(\mathrm{D})-\mathrm{OC}_{4} \mathrm{H}_{9}$ in the smectic phase $(\lambda=3.7 \AA, d=1.5 \mathrm{~m})$. The small-angle scattering is at the right of the pattern and at the left there is a 001 Bragg reflection of strong intensity.


Figure 22. Under the same conditions as fig. 13, the 001 Bragg reflection is of weak intensity in the case of PMA-OCH3. Here is portrayed the diffraction pattern ( $\lambda=3.7 \AA, d=2 \mathrm{~m}$ ) of the mixture $\mathrm{PMA}-\mathrm{OCH}_{3} /$ PMA(D)- $\mathrm{OCH}_{3}$.
one. They present the same phase succession ( $\left.\mathrm{S}_{\mathrm{A}_{1}}-\mathrm{N}-\mathrm{I}\right)$ and have roughly the same polymerization degree ( $D P_{\mathrm{w}} \approx 600$ ). However, these two polymers present a strong difference in anisotropy (see figure 20).

This difference of anisotropy between $\mathrm{PMA}-\mathrm{OCH}_{3}$ and PMA- $\mathrm{OC}_{4} \mathrm{H}_{9}$ has to be analysed in terms of alkyl extremity length of the mesogenic unit, since this is the only difference. It is useful then to study the diffraction patterns (neutrons, X-ray) of these polymers in the smectic phase in order to obtain information about the smectic organization.

It appears that whatever the scattering technique used (X-ray or neutrons) and whatever the labelling (5 different labelled species have been considered), the intensity of the 001 reflection of $\mathrm{PMA}-\mathrm{OC}_{4} \mathrm{H}_{9}$ is always stronger than those of the other reflections when they exist, and much more intense than that of PMA- $\mathrm{OCH}_{3}$, which possesses only the 001 smectic reflection (see figure 21 and figure 22).

In the smectic phase, the density profile (of conerent scattering length or of electronic density) $\rho(z)$ is a periodic function and can be modelled by a Fourier series

$$
\rho(z)=\rho_{0}+\sum_{i=1}^{n} F_{00 i} \cos \left(\frac{2 \pi z}{d} i\right)
$$

where $\rho(z)$ is the density at a point on coordinate $z$ along the director, $d$ is the smectic layer thickness and $\rho_{0}$ is the average density. The integer $n$ corresponds to the number of smectic reflections $(00 i)$, since the Fourier transform of $\rho(z)$ produces in reciprocal space an intensity $S\left(q_{z}\right)$

$$
S\left(q_{z}\right) \propto \sum_{i=1}^{n} F_{00 i}^{2} \delta\left(q(z)-\frac{2 \pi z}{d} i\right)
$$

where $\delta$ is the delta function.
If one assumes now that higher orders are negligible
compared with the 001 Bragg peak intensity, we only have

$$
S\left(q_{z}\right) \propto F_{001}^{2} \delta\left(q(z)-\frac{2 \pi z}{d}\right)
$$

The corresponding function $\rho(z)$ in real space is

$$
\rho(z)=\rho_{0}+\psi \cos \left(\frac{2 \pi z}{d}\right)
$$

where, following de Gennes [33], $\psi$ is called the smectic order parameter. $\psi$ is proportional to the structure factor $\left|F_{001}\right|$. It characterizes the presence probability density of localized mesogenic groups inside the layers. In other words, the higher $\psi$ is, the more the mesogenic groups are localized in the layers and the stronger is the 001 reflection intensity. Finally, although $\mathrm{PMA}-\mathrm{OCH}_{3}$ and PMA$\mathrm{OC}_{4} \mathrm{H}_{9}$ are only slightly different, the backbone anisotropy can be explained by a difference in mesogenic group density inside the layers.

From the comparison of the intensities of the 001 Bragg reflection of $\mathrm{PMA}-\mathrm{OCH}_{3}$ and $\mathrm{PMA}-\mathrm{OC}_{4} \mathrm{H}_{9}$, it appears that the layers of $\mathrm{PMA}-\mathrm{OCH}_{3}$ are formed with few localized mesogenic groups inside the layers, whereas many mesogenic groups contribute to the formation of the PMA- $\mathrm{OC}_{4} \mathrm{H}_{9}$ layers.

The result is that in the first case ( $\mathrm{PMA}-\mathrm{OCH}_{3}$ ), we have an easy crossing of the polymer backbone through the 'soft' liquid crystal layers and a weak backbone anisotropy $\left(R_{/ /} \leqslant R_{\perp}\right)$. In the second case ( $\mathrm{PMA}-\mathrm{OC}_{4} \mathrm{H}_{9}$ ), the polymer backbone cannot extend itself in the direction parallel to the mesogenic groups, since the high mesogen density inside the layers builds a barrier for backbone crossing. There results a strong disymmetry between $R_{/ /}$and $R_{\perp}$, and that means a strong backbone anisotropy.

It is remarkable to see how sensitive the polymer backbone is to the alkyl extremity length, which is a slight modification in a sense where the monolayer structure $\left(\mathrm{S}_{\mathrm{A}_{1}}\right)$ is maintained. The analysis of the backbone confinement has to be made taking into account the smectic organization. A first approach can be a simultaneous measurement of the backbone anisotropy and the Bragg peak as a function of temperature.


Figure 23. Extension of the polymer backbone in the direction of the mesogenic groups (direction of the magnetic field) versus temperature.


Figure 24. Square root of the integrated intensity representing the smectic order parameter $|\psi|$ versus temperature. The black points correspond to the experimental values measured at the angle $\alpha=5^{\circ}(-)$ and the open circles to those measured at $\alpha=6^{\circ}(\mathrm{O})$.

### 3.4.2.4. Evolution of the backbone confinement and of the smectic order parameter as a function of temperature [30]

The extension $R_{/ /}$of the backbone along the direction perpendicular to the smectic planes has been measured simultaneously with the integrated intensity of the 001 Bragg reflection, which gives the smectic order parameter $\Psi$, as a function of temperature (see figures 23 and 24).

These two quantities can be expressed by power laws: $R_{( }(\AA)=35\left(98-T\left({ }^{\circ} \mathrm{C}\right)\right)^{0.17 \pm 0.02}, \psi=\psi_{0}+A(97.3-$ $\left.T\left({ }^{\circ} \mathrm{C}\right)\right)^{0.3 \pm 0.1}, \quad \psi_{0}=0.60 \pm 0.10 \quad$ (arbitrary units), $A=1.10 \pm 0.50$ (arbitrary units).

Although these power laws have no theoretical basis, the complementarity of these two curves shows that there is a direct correspondence between the order of the smectic phase and the confinement of the backbone between the mesophase layers. This analogy can be a starting point for new theories (the previous theories involve an exponential law: $R_{i} \propto \exp (-E / K T) ; E$ is taken as a constant by Rieger [29] and $E$ as proportional to $V \psi$ by Renz and Warner [31]).

In order to complete this study, the higher orders of smectic reflections ( 002,003 ) have been carefully measured using a neutron diffraction spectrometer [25]. The same procedure as that explained for only one smectic reflection was used in order to reconstruct the profile of coherent scattering length versus temperature for PMA$\mathrm{OC}_{4} \mathrm{H}_{9}$ and $\mathrm{PMA}(\mathrm{D})-\mathrm{OC}_{4} \mathrm{H}_{9}$. The subtraction of the respective profiles of these two isotopic species allows the extraction of the profile of the backbones alone inside the mesophase layers. It is so demonstrated that the backbones are all the more concentrated outside the mesogenic side-chain zone as the temperature decreases. Moreover, there is still backbone crossing of the mesophase zone at low temperature. The number of monomers crossing the
mesogenic layer has been evaluated as 25 per cent of the set of backbone monomers at low temperature.

### 3.4.2.5. Infuence of the smectic arrangement $\left(S_{\Lambda}, S_{\Lambda_{d}}\right)$ on the backbone conformation

It is remarkable to note (figure 25) that the confinement of the polymer backbone in a $S_{A_{1}}$ structure (monolayer smectic phase) always produces, in addition to the decrease in $R_{/ /}$, an extension of the backbone size between the mesophase layers ( $\mathrm{R}_{\perp}$ increases) (see figure 5 , $\mathrm{PMA}_{\mathrm{O}} \mathrm{OCH}_{4} \mathrm{H}_{9}$, figure 6, $\mathrm{PMA-OCH}_{3}$, and figure 7 $\mathrm{PA}-\mathrm{OCH}_{3}$ ). Whereas in a $\mathrm{S}_{\mathrm{A}_{d}}$ structure (partially bilayered smectic phase with a partial overlap of the mesogenic cores), the backbone is also confined between the layers ( $R_{/ /}$decreases), $R_{\perp}$ maintains a value close to that of the isotropic phase (see figure 8, PMA-CN, and figure 9, $\mathrm{PA}_{6}-\mathrm{CN}$ ).
The overlap which characterizes the $S_{A_{1}}$ phase leads to a less dense mesogenic region compared to that in a $S_{A_{1}}$ phase. In the $\mathrm{S}_{\mathrm{A}_{\mathrm{d}}}$ structure, the polymer backbone is generally less compressed sterically and does not need to extend itself in the direction perpendicular to the mesogenic units. This could provide an explanation for the invariance of $R_{\perp}$ from the isotropic phase. This also implies an invariance of the state of conformation (gaussian, excluded volume, ...) of the backbone, in the direction perpendicular to the mesogenic groups, on passing from the isotropic state to the state confined between the liquid crystal layers.
Perspectives. Whatever the smectic arrangement ( $\mathrm{S}_{\mathrm{A}_{t}}, \mathrm{~S}_{\mathrm{A}_{d}}$ ), the polymer backbone is excluded from the liquid crystal zones ( $R_{/ /}$decreases) and this results in an increase in $R_{\perp}$ only if the compactness of the smectic phase is high ( $\mathrm{S}_{\mathrm{A}_{1}}$ phase). In this way, it could be of interest to measure the elastic constants of the smectic layers of the liquid crystal polymer. In particular, measurement of the


Figure 25. Naïve representation of variation of $R_{/ /}$and $R_{\perp}$ in an example of the $S_{A_{I}}$ phase and of the $S_{A_{d}}$ phase.


Figure 26. Logarithmic representation of the scattering intensity as a function of the scattering vector $q$. The slope of the curve is $\alpha=-2.0 \pm 0.2$ for $q R \geqslant 4$.
elastic compressibility constant for different smectic layers of polymers as a function of temperature could give a quantitative approach to what we have only qualitatively state. This assumption implies that theories based on activation energy are unsuitable.

### 3.4.2.6. Some indications for the conformation of the

 polymer backbone between the mesophase layersWhat the theory expects. According to the Rieger's predictions [29], the invariance of $R_{\perp}$ from the isotropic phase to the smectic phase traduces a gaussian state (PMA-CN, $\mathrm{PA}_{6}-\mathrm{CN}$ ) of the backbone between the mesophase layers, whereas a higher value of $R_{\perp}$ (than in the isotropic phase) means that the backbone tends to adopt a rod-like conformation.

The intermediate range of study. The scattering function for $q R \geqslant 4$ (intermediate range) is often a power law $(I(q))^{-\alpha}$ where the exponent $\alpha$ differs with the shape of the scattering object [34].

The experiment has been carried on with a sample of PMA- $\mathrm{OC}_{4} \mathrm{H}_{9}$ aligned in the smectic phase in such a way that the normal to the layers is parallel to the incident beam. The results are presented in figure 26 from which one deduces the exponent value $\alpha=2 \pm 0 \cdot 2$. The exponent should correspond to a gaussian conformation, but a higher molecular weight has to be studied to widen the intermediate range and to confirm the $\alpha$ value. On the other hand, other objects in 2-dimensions may perhaps also give the same exponent.

### 3.5. Specific phenomenon of isotropic segregation between liquid crystal polymers

The determination of the polymer conformation in the bulk assumes that the labelled and unlabelled chains are randomly mixed. It is shown here that a segregation occurs when LC polymers deuteriated at the extremities of each mesogenic group are mixed with the hydrogenous analogues. This leads to aggregation between scatterers of the


Figure 27. Very strong anisotropic signal obtained at small angles ( $\lambda=15 \AA, d=2 \mathrm{~m}$ ) for the mixture $\mathrm{PMA}-\mathrm{OC}_{4} \mathrm{H}_{9} /$ PMA- $\mathrm{OC}_{4} \mathrm{D}_{9}$ in the smectic phase.
same isotopic species and forms objects of considerable sizes. The phenomenon is particularly surprising [35] on account of the weak number of deuteriated atoms and the low degree of polymerization ( $\mathrm{DP}_{\mathrm{w}} \simeq 600$ ).

### 3.5.1. Abnormal small-angle scattering

As soon as the scatterer size greatly exceeds the value corresponding to the inverse of the minimum of $|\mathbf{q}|$ (the limit-value measurable $\sim 500 \AA$ for the SANS-device PAXY), the Porod regime is reached and the scattered intensity can be modelled by a $q^{-4}$ power law.

Such a scattering has been identified for a mixture of PMA- $\mathrm{OC}_{4} \mathrm{H}_{9}$ with its analogue deuteriated at the extremities of each mesogen $\left(-\mathrm{OC}_{4} \mathrm{D}_{9}\right)$. This scattering occurs as soon as the smectic phase appears on decreasing the temperature from the isotropic phase. The pure compounds ( 100 percent hydrogenous $\mathrm{PMA}-\mathrm{OC}_{4} \mathrm{H}_{9}$ of 100 percent deuteriated $\mathrm{PMA}-\mathrm{OC}_{4} \mathrm{D}_{9}$ ) do not give any signal under identical conditions. Moreover, the strong scattering obtained for the H/D mixture is anisotropic (see figure 27) (it is recalled that the sample is held in a magnetic field). A study at very small angles $\lambda=15 \AA$, $d=7 \mathrm{~m}$ ) shows that the intensity of the signal follows a power lay in $1 / q^{4}$ both in the parallel and perpendicular directions. The intensity should vary more rapidly in the direction parallel to the magnetic field if one considers that the majority of the parallel signal falls inside the beam trap (even at the limit conditions $\lambda=15 \AA, d=7 \mathrm{~m}$ ). The scattering anisotropic object is oriented with the long axis parallel to the magnetic field.

It is of interest to follow the formation of this object in the nematic phase. Indeed, this phenomenon begins early


Figure 28. Variation of the values of $R_{/ /}$and $R_{\perp}$ determined in the case of the mixture $\mathrm{PMA}-\mathrm{OC}_{4} \mathrm{H}_{9} / \mathrm{PMA}-\mathrm{OC}_{4} \mathrm{D}_{9}$ as a function of time.
in the nematic phase according to the abnormal evolution in time of the components $R_{/ /}$and $R_{\perp}$ of the radius of gyration (see figure 28). In the isotropic phase, no anisotropy is detected. Just after the nematic-isotropic transition, the anisotropy appears with $R_{/ /}>R_{1} . R_{\|}$ increases as a function of time indicating that an object is beginning to form itself by stretching out in the direction parallel to the magnetic field.

On decreasing the temperature, a very strong and intense central scattering appears as soon as the nematicsmectic transition occurs. The small-angle coherent scattering is substituted by a $q^{-4}$ power law, and so the gyration radius cannot be determined.


Figure 29. Attempted representation of smectic columns of the same isatropic species.

### 3.5.2. Analysis of the phenomenon and comments

The abnormal central scattering observed in the smectic phase has been attributed to a phenomenon of aggregation between polymer molecules of the same labelling. This assumption is supported by the X-ray study at small angles of each isotopic species. Indeed, no difference has been detected between the scattering produced by the pure compounds ( 100 per cent $\mathrm{PMA}-\mathrm{OC}_{4} \mathrm{H}_{9}$, 100 per cent D $\mathrm{PMA}_{\mathrm{P}}-\mathrm{OC}_{4} \mathrm{D}_{9}$ ) and the mixture ( $50 / 50 \mathrm{PMA}-\mathrm{OC}_{4} \mathrm{H}_{9}$ / PMA- $\mathrm{OC}_{4} \mathrm{D}_{9}$ ). This result is compatible with an isotopic segregation which is invisible for X-ray scattering, since hydrogen and deuterium are identical from an electronic point of view.

A microscopic interpretation of this phenomenon could be the formation of long columns containing polymer molecules of the same isotopic species (see figure 29). This segregation is superimposed on the smectic order, since the fineness of the Bragg peak and the sample transparency indicate that the mesogenic units are aligned in the magnetic field direction. The segregation progress (formation of the columns) and the formation of the smectic layers occur simultaneously. The speed with which the segregation takes place gives an idea of the chain mobility and of its range. It is also of interest to note that the segregation only appears with polymers deuteriated at the extremities. Some conclusions could be drawn from these observations. This segregation must be strongly related to the interactions between mesogenic groups, particularly in the smectic phase (it is here demonstrated how much the tails play an important role). Indeed, the smectic arrangement does increase the short range interactions between mesogens, and it has also been shown [36] that the mesophase stability is strongly dependent on the interactions between mesogen extremities.

On another hand, the mixture $\mathrm{PMA}_{\mathrm{O}}-\mathrm{OC}_{4} \mathrm{H}_{9} / \mathrm{PMA}-$ $\mathrm{OC}_{4} \mathrm{D}_{9}$ gives rise to an additional bump located on the meridian and corresponding approximatively to a double smectic period. The origin of this bump is not yet clearly understood and other studies need to be performed to understand the relations between the segregation mechanism and the resulting structure of the LC polymer.

Finally, one recalls that no abnormal scattering has been detected when the mixture is made with hydrogenous polymer and polymer deuteriated in the backbone instead of in the extremity. This mixture gives the usual behaviour of isotopic mixtures. It is thereby demonstrated that the isotopic nature of the backbone has no direct influence on the mesophase stability.

## 4. Conclusions

A series of nine side-chain liquid crystal polymers has been chosen in order to determine the influence of the nematic and the smectic organization on the polymer
backbone conformation in the bulk. From this study, general features can be drawn.
(1) In the nematic phase, whatever the polymer backbone (polyacrylate or polymethacrylate), two backbone conformations (oblate, prolate) can be obtained. It clearly appears that all the polymers giving a smectic phase after the nematic phase on decreasing the temperature have in the nematic phase an oblate shape in which the polymer backbone is more or less perpendicular to the orientation of the mesogenic units. Smectic fluctuations, which are associated with the coming smectic phase and are present in the nematic phase have correlation lengths of the same order or higher than the size of the polymer backbone in the nematic phase. The smectic fluctuations induce an oblate backbone conformation which is the characteristic conformation of the backbone in the smectic phase.

Indeed, all the polymers possessing only a nematic phase (without a smectic phase) at low temperature correspond to a prolate conformation in which the average direction of the polymer backbone is the same as the orientation of the mesogenic groups.

The conclusion is that the organization of the nematic phase favours an elongation of the polymer backbone in the direction of the mesogenic units (as long as the spacer length allows it). This situation is sterically the most convenient, since packing is fulfilled simultaneously for the mesogenic groups and the backbone.
(2) In the smectic phase, the backbone conformation is always of an oblate shape for which the average direction of the polymer backbone is perpendicular to the liquid crystal orientation. This oblate anisotropy is always greater than in the preceding nematic phase and increases when the temperature decreases. In some cases, the backbone reaches an anisotropy such that the extension $R_{t}$ in the direction of the mesogenic groups becomes smaller than the smectic layer thickness itself (see the case of $\mathrm{PA}-\mathrm{OCH}_{3} ; R_{l /}=7 \pm 2 \AA, d$ (layer thickness) $=25 \pm 1 \AA$ [27]. It is then highly probable that the polymer backbone is more or less distributed between the neighbouring mesophase layers. The backbone anisotropy detected in the smectic phase can be interpreted by an exclusion of the backbone chain from the mesogenic zones.
$\mathrm{PA}-\mathrm{OCH}_{3}$ could be considered as an exceptional case of confinement, since the backbones are mostly located quasi-bidimensionally between only two successive mesophase layers. The other polymers of higher molecular weight do not present such a confinement, since the $R_{/ 7}$ value indicates that the backbone crosses the layers. Therefore, it seems that the polymerization degree plays an important role in the strong anisotropy of $\mathrm{PA}-\mathrm{OCH}_{3}$.

Independently of the polymerization degree, it appears that the characteristics of the smectic phase control the backbone anisotropy: $\mathrm{PMA}-\mathrm{OCH}_{3}$ and $\mathrm{PMA}-\mathrm{OC}_{4} \mathrm{H}_{9}$
present the monolayer smectic phase $\left(\mathrm{S}_{\mathrm{A}_{1}}\right)$ and are of identical formulae except for the mesogen extremity $\left(\mathrm{OCH}_{3}\right.$ and $\left.\mathrm{OC}_{4} \mathrm{H}_{9}\right)$. However, in the $\mathrm{S}_{\mathrm{A}_{1}}$ phase, PMA$\mathrm{OCH}_{3}$ adopts a slightly oblate shape, whereas PMA$\mathrm{OC}_{4} \mathrm{H}_{9}$ presents a strongly oblate anisotropy.
It has been shown by X-ray [10] and by neutron scattering that the strong anisotropy of $\mathrm{PMA}^{-} \mathrm{OC}_{4} \mathrm{H}_{9}$ coincides with a high density of mesogenic groups inside the layers (strong 001 Bragg peak intensity) and a better localization of these groups inside the layers (multiplicity of the Bragg orders). It is remarkable to see that such a small change in the extremity length of the liquid crystal group induces such a strong difference in the backbone anisotropy, despite keeping the structure of the smectic phase the same $-\mathrm{S}_{\mathrm{A}_{1}}$.
From the simultaneous measurements of $R_{/ /}$and the intensity of the 001 Bragg reflection of the polymer PMA- $\mathrm{OC}_{4} \mathrm{H}_{9}$, it has been qualitatively demonstrated that the more ordered the smectic phase, the more the polymer backbone is located between the mesogenic layers. Indeed, there is a direct correlation between the smectic layer density $\Psi$ (assumed proportional to the square root of the 001 Bragg intensity) and the extension $R_{/ /}$(since these two quantities $R_{/}$and $\psi$ can be expressed by a power law in which $R_{/}$decreases when the temperature decreases, whereas $\Psi$ increases).
This experiment shows how much the extension of the polymer backbone in the direction of the axis of the mesogenic groups is conditioned by the number of mesogenic groups which form the layers. The variation of $\Psi$ and $R_{/}$during the decrease in temperature is also a proof of the mobility of the mesogenic and the backbone parts. These motions take place over a long range, since the length of the spacer $\left(\mathrm{CH}_{2}\right)_{6}$ does not totally decouple the backbone from the liquid crystal motion.
The type of smectic phase ( $\mathrm{S}_{\mathrm{A}_{1}}, \mathrm{~S}_{\mathrm{A}_{d}}$ ) has also a strong influence on the backbone behaviour. It seems that in the case of a partially bilayered smectic phase, $\mathrm{S}_{\mathrm{A}_{\mathrm{d}}}$, the polymer backbone (PMA-CN, $\mathrm{PA}_{6}-\mathrm{CN}$ ) does not extend itself in the direction perpendicular to the mesogenic units, keeping the $R_{\perp}$ value of the isotropic phase ( $R_{\perp} \approx R_{\mathrm{is})}$ ). This is in marked contrast to the strong increase in $R_{\perp}$ always observed for polymers giving a monolayered smectic phase, $\mathrm{S}_{\mathrm{A}_{1}}$ (PMA- $\mathrm{OCH}_{3}, \mathrm{PA}-\mathrm{OCH}_{3}, \mathrm{PMA}-$ $\mathrm{OC}_{4} \mathrm{H}_{9}$ ). This difference could be interpreted by the weak compactness of the $\mathrm{S}_{\mathrm{A}_{\mathrm{d}}}$ phase which reduces sterically the constraints on the backbone which is more or less localised between the mesophase layers.
The study in the intermediate range of scattering in the plane of the smectic layers of PMA- $\mathrm{OC}_{4} \mathrm{H}_{9}$ gives a scattering type of power law compatible with that which could give a gaussian walk of the backbone between layers. However, the gaussian assumption has to be checked, for example, by the measurement of $R_{\perp}$
on monodisperse samples of different molecular weights.

Finally, it must be noted that the small-angle scattering, from which $R_{/ /}$and $R_{\perp}$ are extracted, is obtained with a mixture of hydrogenous and deuteriated polymers. This mixture is assumed to be ideal. This seems to be correct in the case of deuteriated backbones, but this is no longer the case when the extremities of the mesogenic units are deuteriated. The H/D separation clearly appears as soon as smectic phase occurs; this shows how sensitive this phase is to local interactions, in particular between the mesogenic tails, and how much the deuteriation affects the physical (liquid crystal) properties of the liquid crystal polymers. It is certain that many other studies have to be made to understand the isotopic separation phenomenon in liquid crystal polymers systems.

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## References

[1] Finkelmann, H., Liquid Crystals of One and Two Dimensional Order (Springer Series in Chemical Physics, 11, 238.
[2] (a) Kirsie, R. G., and Ohm, H. G., 1985, Makromolek. Chem. rap. Commun., 6, 179. (b) Keller, P., Carvalho, B., Cotton, J. P., Lambert, M., Molssa, F., and Pépy, G., 1985, J. Phys. Lett., 46, 1065.
[3] (a) de Gennes, P. G., 1979, Scaling Concepts in Polymer Physics (Cornell University Press). (b) Cotton, J. P., Dfecker, D., Benoît, H., Farnoux, B., Higgins, J., Jannink, G., des Cloizeaux, J., Ober, R., and Picot, C., 1974, Macromolecules, 7, 863. (c) Garvish, W., Brereton, M. G., and Fisher, E. W., 1981, Polymer Bull., 4, 687.
[4] Boué, F., Daoud, M., Nierlich, M., Williams, C., Cotton, J. P., Farnoux, B., Jannink, G., Benoít, H., Duplessix, R., and Picot, C., 1978, IAEA-SM-219.
[5] "Equipements Expérimentaux", available at the Lab. Léon Brillouin, CE-Saclay 91191, Gif-sur-Tvette Cédex, France.
[6] For example, Boué, F., 1982, Ph.D. Thesis, Université Paris-Sud, Orsay (in French).
[7] Kovacs, A. J., Aklonis, J. J., Hutchinson, J. M., and Ramos, A. R., 1979, J. polym. Sci., 17, 1097.
[8] Kalus, J., Kostromin, S. G., Shibaev, V. P., Kunchenko, A. B., Ostanevich, D. A., and Svetogorky, Yu. M., 1988, Molec. Crystals liq. Crystals, 155, 347.
[9] Mitcheil, G. R., Davis, F. J., Guo, W., Lywinski, R., 1991, Polymer, 32, 1347.
[10] (a) Portugall, M., Ringsdorf, H., and Zentel, R., 1982, Makromolek. Chem., 183, 2311 ; (b) Pépy, G., Noirez., L., Keller, P., Lambert, M., Moussa, F., and Cotton, J. P., 1990, Makromolek. Chem., 191, 1383.
[11] (a) Hardouin, F., Noirez, L., Kelaer, P., Lambert, M., Moussa, F., and Pepy, G., 1988, Molec. Crystals liq. Crystals, 155, 389. (b) Molssa, F., Cotton, J. P., Hardoun, F., Keller, P., Lambert, M., Pépy, G., Mauzac, M., and Richard, H., 1987, J. Phys., France, 48, 1079. (c) Pépy, G., Noirez, L., Keller, P., Lambert, M., Moussa, F., Cotron, J. P., Strazielle, C., Hardouin, F., MAUZAC, M., and Richard, H., 1990, Macromolek. Chem., 191, 1383.
[12] Noirez, L., Cotton, J. P., Hardouin, F., Kelif.r, P., Moussa, F., Pépy. G., and Strazielle, C., 1988, Macromolecules, 21, 2889.
[13] Moussa, F., Cotton, J. P., Hardouin, F., Keller, P., Lambert, M., Pépy, G., Mauzac, M., and Richard, H., 1987, J. Phys., France, 48, 1079.
[14] Noirez, L., Keller, P., Davidson, P., Hardouin, F., and Cotton, J. P., 1988, J. Phys., France, 49, 1993.
[15] (a) Davidson, P., and Levelut, A. M., 1992, Liq. Crystals, 11, 469. (b) Davidson, P., Noirez, L., Cotton, J. P., and Keller, P., 1991 , Liq. Crystals, 10, 111.
[16] Gubina, T. I., Kıse, S., Kostromin, S. G., Talroze, R. V., Shibaev, V. P., and Plate, N. A., 1989, Liq. Crystals, 4, 197.
[17] Maczac, M., Hardouin, F., Richard, H., Achard, M. F., Sigalid, G., and Gasparoux. H., 1986, Eur. Polym. J., 22, 137.
[18] Donald, A. M., and Windle, A. M., 1992, Liquid Crystalline Polymers (Cambridge University Press).
[19] Vasilenko, S., Shibaev, V.P., and Khokhlov, A. R., 1985. Makromolek. Chem., 186, 1951.
[20] Wang, X. J., and Warner, M., 1987, J. Phys. A, 20, 549.
[21] Renz, W., 1988, Molec. Crystals liq. Crystals, 155, 549.
[22] Mattoussi, H., and Ober, R., 1990, Macromolecules, 23, 1809.
[23] Mitchell, G. R., Coulter, M., Davis, F. J., and Glo, W., 1992, J. Phys. II, France, 2, 1121.
[24] Оhm, H. G., Kirste, R. G., and Oberthür, R. C., 1988, Makromolek. Chem., 116, 1387.
[25] Noirez, L., Davidson, P., Schwarz, W., and Pepy, G., 1994, Liq. Crystals, 16, 1081.
[26] Strazielle, C., and Weill, G., Techniques de l'Ingénieur, Chapter: 'Diffusion de la lumière', p. 1065-1.
[27] (a) Schultz, G. V., 1935, Z. phys. Chem. B, 30, 379. (b) Flory, P. J., 1936, J. Am. chem. Soc., 58, 1877. (c) Schulz, G. V., 1939, Z. phys. Chem. B, 43, 25. (d) Zimm, B. H., 1948, J. chem.. Phys., 16, 1099.
[28] For this type of calculation see for example NoIREZ, L., 1989, Ph.D. Thesis, Université d'Orsay, pp. 63-68.
[29] Rieger, J., 1988, J. Phys., Paris, 49, 1615.
[30] Renl, W., and Warner, M., 986, Phys. Rev. Lett., 56, 1268.
[31] Brochard, F., 1973, J. Phys., France, 34, 411.
[32] De Gennes, P. G., The Physics of Liquid Crystals (Oxford University Press).
[331 Noirez, L., Pépy, G., Keller, G., and Bencuuigit, L., 1991, J. Phys. II, France, 1, 821.
[34] (a) Jannink, G., and des Cloizeaux, J., 1987, Polymères en solution, Appendice E. (b) Hocquart, R., ULP Strasbourg (private communication).
[35] (a) Lapp, A., 1987, Ph.D. Thesis, Strasbourg. (b) Lapp, A., Picot, C., and Benoit, H., 1985, Macromolecules, 18, 2437.
[36] Deloche, B., 1978, Ph.D. Thesis, Universite d'Orsay.


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